# Oil Prices, Exchange Rates and Emerging Stock Markets

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Abstract

While two different streams of literature exist investigating 1) the relationship between oil prices and emerging market stock prices and 2) oil prices and exchange rates, relatively little is known about the relationship between oil prices, exchange rates and emerging stock markets. This paper proposes and estimates a structural vector autoregression to investigate the dynamic relationship between these variables. Impulse responses are calculated in two ways (standard, projection based methods). The model supports stylized facts. In particular, positive shocks to oil prices tend to depress emerging market stock prices and US dollar exchange rates in the short run.

Keywords: Emerging markets; oil prices; exchange rates

JEL Classification: G15, Q43
1. Introduction

The recent surge in oil prices over the past eight years has generated a lot of interest in the relationship between oil prices, financial markets and the economy (see, for example, Blanchard and Gali, 2007, and Herrera and Pesavento, 2009). Crude oil spot prices, measured using West Texas Intermediate crude oil, closed out the year 2002 at $29.42 per barrel.\(^1\) By the June of 2008 spot oil prices had risen to $133.93 per barrel. Over this same time period, the US dollar fell against other major traded currencies and emerging market stock prices rose (Figure 1). While there exists a literature on the relationship between oil prices and stock prices, and a separate literature on the relationship between oil prices and exchange rates, the relationship between these two streams has, however, not been that closely studied, especially within the context of emerging market stock prices. The purpose of this paper is to use a structural vector autoregression (SVAR) model to bring these two literatures together.

Understanding the relationship between oil prices, exchange rates and emerging stock market prices is an important topic to study because as emerging economies continue to grow and prosper, they will exert a larger influence over the global economy. By some estimates, emerging economies will account for 50% of global GDP by 2050 (Cheng et al., 2007) and the majority of economic growth. Over the period 1990 to 2005 real GDP in China and India grew at average annual rates of 7.7% and 7.2% respectively.\(^2\) By comparison, OECD countries grew at an average annual rate of 2.5% over this same period. At these growth rates the Chinese economy will double every 9 years and the Indian economy will double every 10 years. Along with this economic growth comes a voracious demand for energy products such as oil. In 2006, the US was the largest consumer of oil in the world, accounting for 24% of the global oil demand. China, at 9% of the world total, had pushed passed Japan to become the second largest oil consuming nation (Table 1). While the demand for oil in developed economies is holding steady or declining slightly, the demand for oil in emerging economies is rapidly growing. The

\(^1\) http://research.stlouisfed.org/fred2/data/OILPRICE.txt
\(^2\) IEA (2007, p.62)
International Energy Agency (IEA) (2007, p. 80) predicts that between 2006 and 2030, China and India will have average annual growth rates in oil of 3.6% and 3.9% respectively (compared to the 1.3% average annual growth rate for the world). China and India, combined together will represent 42% of the global increase in oil demand between 2005 and 2030.

Some emerging economies, like China, are accumulating large reserves of foreign currency (mostly US dollars) and this will make them a bigger player in the world financial markets. Some estimates place China’s reserves of foreign exchange and gold at $2.206 trillion as of December 2009.³ Managing this amount of money and protecting its store of value will mean that China will have not only a greater participation but also a greater influence over global financial capital markets.

Shocks or unexpected price hikes originating from the oil market have been captured in different ways.⁴ Hamilton (2003) defines an oil price shock as a net oil price increase, which is the log change in the nominal price of oil relative to its previous three year high if positive, or zero otherwise. However, Kilian (2008a) argues that this measure of oil price shocks does not necessarily filter out oil price changes due to exogenous political events or wars because oil price shocks may be demand-driven.⁵ Furthermore, nominal oil price shocks do not mean that there are corresponding real oil price shocks. In order to account for these problems, Kilian (2009) uses a vector autoregression (VAR) with three variables, the oil supply, the real price of oil and a proxy variable for global demand for industrial commodities measuring global real economic activity. He identifies, based on a recursive structure, three oil shocks: an oil supply shock, an oil-market specific shock and a global demand shock. Kilian (2009) treats these shocks as pre-determined in secondary ordinary least squares regressions analyzing their effects on the US economy.⁶ We model the oil market as in Kilian (2009), however, we use a much less

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⁴ This literature has been focusing on the US and European economies.
⁵ See Kilian and Vigfusson (2009) on empirical evidence against such price asymmetries. See also Hamilton (2010).
⁶ See also Kilian (2008b) for a different definition of oil shocks that are treated as strictly exogenous. These concepts correspond to weak and strong exogeneity in Engle, Hendry and Richard (1983).
restrictive set-up for the analysis of the effects of oil shocks that treats all variables as endogenous and allows for rich dynamics in the interrelations across markets.\(^7\)

The approach taken in this paper is to use a SVAR to model the dynamic relationship between real oil prices, an exchange rate index for major currencies, emerging market stock prices, interest rates, global real economic activity and oil supply. The empirical results show that the six-variable SVAR model fits the data well in supporting some stylized facts. Impulse responses are calculated in two alternative ways (standard, local projection based methods) in order to check their robustness. The results presented in this paper help to further deepen our understanding of the relationship between oil prices, exchange rates and emerging markets equity prices.

The rest of the paper is organized as follows. Section 2 discusses the theoretical and empirical relationship between oil prices, exchange rates and emerging stock prices. Section 3 describes the data and the identification of the structural VAR model. Section 4 presents the main results of the paper. It also includes the discussion of impulse responses based on the local projection methods. Some concluding remarks appear in Section 5.

2. Relationships between oil prices, exchange rates and emerging stock markets

Theoretically, oil prices can affect stock prices in several ways. The price of a share in a company at any point in time is equal to the expected present value of discounted future cash flows (Huang, Masulis and Stoll, 1996). Oil prices can affect stock prices directly by impacting future cash flows or indirectly through an impact on the interest rate used to discount the future cash flows. In the absence of complete substitution effects between the factors of production, rising oil prices, for example, increase the cost of doing business and, for non-oil related companies, reduce profits. Rising oil prices can be passed on to consumers in the form of higher prices for final goods and services, but this

\(^7\) We do not require the statistically un-testable assumption of pre-determinedness. Also, our approach does not cause problems with autocorrelated errors and generated regressors (the estimated oil shocks used in secondary regressions) when constructing confidence intervals (Kilian, 2009).
will reduce demand for final goods and services and once again reduce profits. Rising oil prices are often seen as inflationary by policy makers and central banks respond to inflationary pressures by raising interest rates which affects the discount rate used in the stock pricing formula.

There is a fairly sizable literature showing that oil price movements affect stock prices (see, for example, Kaneko and Lee, 1995; Ferson and Harvey, 1994, 1995; Jones and Kaul, 1996; Huang, Masulis and Stoll, 1996; Sadorsky, 1999; Faff and Brailsford, 1999; Papapetrou, 2001; Sadorsky, 2001; Hammoudeh and Aleisa, 2004; Hammoudeh, Dibooglu and Aleisa, 2004; Hammoudeh and Huimin, 2005; El-Sharif, Brown, Burton, Nixon and Russell, 2005; Huang, Hwang and Peng, 2005; Basher and Sadorsky, 2006; Boyer and Filion, 2007; Henriques and Sadorsky, 2008; Park and Ratti, 2008).

While most of the research investigating the relationship between oil prices and stock prices has been conducted using developed economies, there is some research looking into the relationship between oil prices and emerging stock markets (see for example, Hammoudeh and Aleisa, 2004; Hammoudeh and Huimin, 2005; Basher and Sadorsky, 2006). On balance, these papers provide evidence that changes in oil prices affect emerging market stock prices.

Oil price movements are expected to depend upon the demand for oil. While the demand for oil in most developed economies is growing very slowly or hardly at all, demand for oil in emerging economies is rapidly increasing. Between 2001 and 2006, for example, oil consumption has grown the fastest in developing and emerging economies like Qatar, China, Turkmenistan, United Arab Emirates and Ecuador (Table 1). Over the past ten years, Qatar, China and Kuwait have each experienced triple digit growth in oil consumption. China is a particularly interesting country, because in 2006 China’s share of global oil consumption was 9%, making it the second largest oil consuming country after the United States. For comparison purposes, the United States is included in Table 1. Notice that for the US, oil consumption growth is actually negative (-1.3%) in the period 2005-2006. The US is a very important player in the global oil market because it
accounts for 24% of global oil consumption, but future growth and pricing pressure is likely to come from emerging economies. Over the past five years and ten years, the fastest growing oil consuming region has been the Middle East (Table 2). The second fastest growing oil consuming region over the past five years and ten years has been Asia Pacific. Regionally, the demand for oil is growing the fastest in the Middle East, Asia Pacific and Africa. Emerging market economic and financial activity is likely to be a factor behind oil price movements. The idea that oil prices respond to strong economic growth in emerging economies, and especially Asia, has recently been discussed by Benassy-Quere, Mignon and Penot (2007).

The idea that there is a relationship between oil prices and exchange rates has been around for some time (early papers, for example, include, Golub, 1983 and Krugman 1983a and b). Bloomberg and Harris (1995) provide a good description, based on the law of one price, of how exchange rate movements can affect oil prices. Commodities like oil are fairly homogeneous and internationally traded. The law of one price asserts that as the US dollar weakens relative to other currencies, ceteris paribus, international buyers of oil are willing to pay more US dollars for oil. Bloomberg and Harris (1995) find that, empirically the negative correlation between commodity prices and the US dollar increased after 1986. In addition to the theoretical and empirical work by Bloomberg and Harris (1995), empirical papers by Pindyck and Rotemberg (1990) and Sadorsky (2000) find that changes in exchange rates impact oil prices. Zhang, Fan, Tsai and Wei (2008) find a significant influence of the US dollar exchange rate on international oil prices in the long run, but short run effects are limited. Akram (2009) also finds that a weaker dollar leads to higher commodity prices. Current observations suggest that oil prices and exchange rates do move together. Figure 1, for example, shows a plot of oil prices (measured in US dollars) and a trade-weighted US dollar exchange rate (with a higher value indicating an appreciation of the US dollar while a lower value indicates a depreciation of the US dollar). From Figure 1, it appears that rising oil prices do coincide with a weakening of the US dollar.
Golub (1983) and Krugman (1983a) put forth compelling arguments as to why movements in oil prices should affect exchange rates. Golub reasons that since oil prices are denominated in U.S. dollars, an increase in oil prices will lead to an increase in demand for U.S. dollars. Golub’s analysis depends upon the crucial assumption that the demand for oil in oil-importing countries is price inelastic and if the price elasticity is greater than one (in absolute value) an increase in oil prices will lower total expenditure on oil and the demand for U.S. dollars would fall. Krugman’s (1983a) analysis is based on the relationship between the investment portfolio preferences of oil exporters and movements in exchange rates. Rising oil prices will increase the investment portfolio possibilities of oil exporters. In Krugman’s (1983a) analysis, exchange rate movements are determined primarily by current account movements. If rising oil prices lead to a country’s current account deterioration, then exchange rates will fall.

This discussion on the relationship between oil prices and exchange rates highlights that there are strong theoretical arguments for why exchange rates should affect oil prices and there are strong theoretical arguments for why oil prices should affect exchange rates. Ultimately, the relationship between these two variables can only be resolved through empirical analysis.

Interest rates may also affect oil prices through a connection with inflation. Unexpected inflation erodes the real value of investments like stocks and bonds. Central banks can respond to inflationary pressures by raising interest rates. International investors looking for better investments in inflationary times may prefer to invest in real assets like oil, which drives the price of oil up and puts further pressure on inflation. Recycled petro-dollars from oil rich countries can help to reduce the impact of increases in interest rates (IEA, 2006, p.39). Akram (2009) finds that commodity prices increase in response to reductions in real interest rates.
3. Model specification

3.1 Choice of variables

For this study, monthly data is collected on global oil production, oil prices, global real economic activity, exchange rates, emerging market stock prices and interest rates. Our monthly data cover the sample period from 1988:01 to 2008:12. Following a large body of research on the significant effect of energy supply disruptions on economic activity,\(^8\) oil production variable is included in our model to capture oil supply shock. Following Kilian (2009), the oil supply shocks are defined as unpredictable innovations to global oil production. Data on global oil production over the 1987:12—2008:4 period were taken from Hamilton (2009),\(^9\) while the remaining data were updated from the US Energy Information Department (EIA) database. In the EIA data, global oil supply is defined as crude oil including lease condensate.

Recent research has documented that oil price reacts differently to oil demand shocks than oil supply shocks. In particular, Kilian (2009) finds that oil price increases due to surging global demand produce a less disruptive effect than those caused by losses in supply. Persistent increase in the (real) price of oil from 2002 to mid-2008 was mainly driven by strong and increasing global demand for crude oil particularly from India, China and other emerging countries (Kilian, 2008a; Hamilton, 2009). Therefore, to account for the effect of global demand on changes of oil price shocks, we have included a measure of global real economic activity. In so doing, we have followed Kilian (2009) and use the index of global real economic activity as a proxy for global demand for industrial commodities. The index is based on dry cargo single voyage ocean freight rates of different commodities: grain, oilseeds, coal, iron ore, fertilizer and scrap metal. It is likely to capture shifts in the demand for industrial commodities in global business

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\(^8\) See Hamilton (2003, 2009) and the references therein. Hamilton (2009) concludes that “historical oil price shocks were primarily caused by significant disruptions in crude oil production that were brought about by largely exogenous geopolitical events.”

\(^9\) The global oil production data can be downloaded from James Hamilton’s homepage: http://weber.ucsd.edu/~jhamilto/
markets. The detailed construction of the index is described in Kilian (2009). Unlike OECD indices of industrial production, used in some previous studies on the role of oil, Kilian’s measure captures recent large increases in global demand for industrial commodities from emerging countries such as Brazil, China and India. Such a dry goods measure is more useful for gauging what is happening globally and the movements in economic and financial activity in emerging economies in particular, where manufacturing plays an important role. The index is deflated by US consumer price index (CPI) and is linearly detrended in order to remove the effects of technological advances in ship-building and other long-term trends in the demand for sea-transport. The detrended index therefore should capture the cyclical variations in ocean freight rates. The index is available to download from Lutz Kilian’s homepage.10

Oil prices are measured in dollars per barrel using spot market prices on West Texas Intermediate crude oil. West Texas Intermediate crude oil is widely seen as a benchmark for world oil markets. Exchange rates are measured using a trade-weighted exchange rate index which is a weighted average of the foreign exchange value of the US dollar against a set of the most widely traded currencies. Globally, there are only a few currencies that have enough trading volume to affect the foreign exchange markets and oil prices. We therefore use an exchange rate that captures movements in the most widely traded currencies. Also, several other currencies not included peg or have pegged their domestic currency to the US dollar. Higher values of the exchange rate index indicate a stronger US dollar. Emerging market stock prices are measured using the MSCI emerging stock market index (measured in US dollars).11 In this paper, the proxy variable for global interest rate movements is calculated as the difference in the yield spread between the three month Eurodollar LIBOR (London Interbank Borrowing Rate) and the three month US Treasury bill rate (the “TED spread”). The yield spread is an interesting variable to include because movements in the yield curve are often a good predictor of future

10 http://www-personal.umich.edu/~lkilian/
11 The countries classified as emerging markets changes somewhat from year to year but typically includes the following countries: Brazil, Chile, Colombia, Mexico, Peru, Czech Republic, Egypt, Hungary, Israel, Morocco, Poland, Russia, South Africa, Turkey, China, India, Indonesia, Korea, Malaysia, Philippines, Taiwan and Thailand (http://www.mscibarra.com/products/indices/international_equity_indices/).
economic performance. Further, fluctuations in the TED spread may capture fluctuations in global credit risks (Ferson and Harvey, 1994, 1995).

The data on oil prices, exchange rates and interest rates are available from the Federal Reserve Bank of St. Louis. Stock price data are available from Datastream. Oil prices and stock prices are converted to real values by deflating by the US CPI. For modeling purposes, they are expressed in natural logarithms. A dummy variable, which takes on the value of one from September 1998, is included to capture structural change due to the Asian financial crises.

3.2 The Structural VAR Model

The empirical model uses global oil production (OILPROD), the logarithm of global real economic activity (rea), real emerging market stock prices (EMR), real oil prices (OILR), trade-weighted exchange rates (TWE) and an interest rate spread (TED). Our VAR model is based on monthly data for $y_t = (oilprod_t, rea_t, emr_t, TED_t, twewe_t, oilr_t)', where oilprod_t is the logarithm of global crude oil production (OILPROD). The index of real economic activity is already in logarithms and is denoted rea_t. The logarithms of the remaining variables are expressed in small letters. The TWE is an index expressed in US dollars. The reduced form VAR is given by

$$ y_t = c + \sum_{i=1}^{p} A_i y_{t-i} + D_t + u_t, $$  \hspace{1cm} (1)

where $c$ is a vector of constant, $p$ denotes the maximum lag length, $A_i$ are the $6 \times 6$ parameter coefficient matrices, $D_t$ is a dummy variable to capture the possible effect of the Asian financial crisis on emerging market stock prices and $u_t$ is a vector of error terms. The structural representation of (1) is given by

$$ A y_t = c + \sum_{i=1}^{p} A_i y_{t-i} + B \varepsilon_t, $$  \hspace{1cm} (2)

12 http://research.stlouisfed.org/fred2/; the exchange rate used is denoted TWEXMMTH (1973=100).
where \( \epsilon_t \) denotes the vector of structural shocks. Note that the Asian financial crisis dummy variable does not enter in (2). Denote the total number of variables in the VAR by \( K \). Assuming \( B = I_k \), that is restricting the structural shocks hitting the system to be mutually uncorrelated innovations with unit variance, now premultiplying (2) with \( A^{-1} \) yields the relationship between the reduced form errors \( u_t \) and the structural shocks \( \epsilon_t \) as

\[ u_t = A^{-1} \epsilon_t. \tag{3} \]

After normalizing the \( K \) diagonal elements of \( A \) to 1’s, an exact identification of the structural equation requires imposing \( K(K-1)/2 \) restrictions on \( A \). We employ only short-run restrictions on contemporaneous relations and no long-run restrictions. Moreover, we do not impose any restrictions on the lagged coefficients in equation (2). The short-run restrictions impose some contemporaneous feedback effects among the variables in the model. Christiano, Eichenbaum and Vigfusson (2007) argue that structural VARs based on short-run restrictions perform “reasonably well”. Since we do not attempt to test any particular model, we base our identification restrictions on different economic models as well as economic ad-hoc reasoning.

### 3.3 Identification of Structural Shocks

The identification procedure for equation (3) is given as

\[
\begin{pmatrix}
\epsilon_t \\
\epsilon_t^{prod} \\
\epsilon_t^{rea} \\
\epsilon_t^{mr} \\
\epsilon_t^{ted} \\
\epsilon_t^{we} \\
\epsilon_t^{oil} \\
\epsilon_t^{oilr}
\end{pmatrix} =
\begin{pmatrix}
a_{11} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \alpha_{11} \\
0 & a_{22} & 0 & 0 & 0 & 0 & 0 & 0 & \alpha_{22} \\
0 & a_{32} & a_{33} & a_{34} & a_{35} & a_{36} & 0 & \alpha_{32} & \alpha_{33} & \alpha_{34} & \alpha_{35} & \alpha_{36} \\
0 & a_{42} & 0 & a_{44} & 0 & a_{46} & \alpha_{42} & \alpha_{44} & \alpha_{46} \\
0 & a_{52} & a_{53} & 0 & a_{55} & a_{56} & \alpha_{52} & \alpha_{53} & \alpha_{55} & \alpha_{56} \\
0 & a_{61} & a_{62} & 0 & 0 & a_{66} & \alpha_{61} & \alpha_{62} & \alpha_{66}
\end{pmatrix}
\begin{pmatrix}
\epsilon_t^{oil supply shock} \\
\epsilon_t^{aggregate demand shock} \\
\epsilon_t^{equity price shock} \\
\epsilon_t^{interest rate shock} \\
\epsilon_t^{exchange rate shock} \\
\epsilon_t^{oil price shock}
\end{pmatrix}
\] \tag{4}

The restrictions on \( A^{-1} \) may be motivated as follows. The identifying restriction in the equations for oil supply and global demand takes these two variables as being

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13 See e.g. Hamilton (1994, Ch. 11) for further details.
contemporaneously exogenous to the other variables in the system. We have thus assumed that both oil supply and global (oil) demand, due to real economic activity, do not contemporaneously react to shocks to other variables in the system within a month. These exclusion restrictions seem quite plausible since it is very unlikely for, say, Saudi Arabia to react immediately within the same month with a change to its crude production level following, for example, an oil price or an exchange rate shock. Likewise, it is quite probable that there might be a significant time delay before consumers and businesses revise their consumption plans following a shock. Needless to say, lagged values of oil supply and global demand are allowed to react to macroeconomic shocks after the first month has passed.\textsuperscript{14}

Following the discussion in Section 2, emerging market equity prices are allowed to contemporaneously react to interest rate, exchange rate and oil price shocks, besides reacting to aggregate demand shocks. Unlike the long delay in adjustments in the goods sectors, financial markets react swiftly to changes in macroeconomic news. For example, energy based equities will react instantaneously to a positive change in the oil price, while a dollar appreciation effectively makes emerging equities less competitive than dollar-denominated assets. In the fourth equation, the interest rate spread is allowed to react contemporaneously to a global demand shock and an oil price shock, with the former predicted to generate a positive impact on interest rates while the latter is presumably inversely related to interest rates.

Changes in global demand, emerging market equity prices and oil prices result in a contemporaneous change in the trade-weighted US dollar index. Since oil is denominated in dollars, in the face of a declining dollar, with the relative price of oil being set in equilibrium, the dollar price of oil must rise instantaneously. Figure 1, which depicts the time series of the real oil price and the trade-weighted value of the dollar (along with the remaining model’s variables), does seem to lend support to this idea, especially since the start of 2002. Relative strength in global demand is also likely to impact the US dollar

\textsuperscript{14} Crude oil price shocks affect shipping freight rates because bunker fuel oil is an input to shipping services. However, following Kilian (2009), we assume that the effect occurs with a delay and not within the same month. Kilian (2009) found no contemporaneous correlation between the two time series.
within the same month because of the dollar’s role as the dominant invoicing currency in international trade (see, Goldberg and Tille, 2008). In the sixth and final equation we assume that changes in global oil production and global aggregate demand contemporaneously affect real oil prices.

4. Empirical results

This section is divided into three parts. First, we present preliminary results on the time series properties of our data. Second, we present the main results of the paper, the restricted structural VAR analysis for the model discussed in Section 3.3. Third, we study the robustness of the impulse response analysis by employing local projection instead of standard methods.

4.1 Preliminary results

4.1.1 Graphical analysis
Figure 1 shows a plot of global oil production (OILPROD), the logarithm of real global economic activity (rea), emerging market stock prices (EM), the TED spread, exchange rates (TWE) and oil prices (OIL). Each variable is expressed in nominal terms, except when noted otherwise. Notice how closely oil prices and emerging market stock prices track each other. Both tend to rise and fall often at the same time. Also notice that exchange rates and oil prices tend, for the most part, to move in opposite directions. A lower US dollar coincides with higher oil prices and vice versa.

4.1.2 Descriptive statistics
Table 3 presents some summary statistics of the model’s variables. Some remarks are in order. The average oil price during the sample period is about $32.50, with a maximum of nearly $134 observed during mid-2008. A 5.863% decline in the rate of change of global oil production took place in August 1990, as a result of the Iraqi invasion of Kuwait (the first Gulf war). Interestingly, this decline is immediately compensated by a 4.473% increase in global oil production in the following month (September 1990). The
yield spread between the 3-month Eurodollar LIBOR and the 3-month US T-bill (the TED spread) was generally higher during the end of the sample, reflecting the effect of the 2007-08 global financial crisis. For example, a 4.620 spread was observed in October 2008, a month after the collapse of Lehman Brothers, which is extremely large by comparison to the pre-2007 period. The coefficient of variation, a normalized measure of dispersion, which is defined as the ratio of the standard deviation to the mean, portrays highest variability for real global activity followed by the percentage change in global oil supply and the TED spread. The US dollar exchange rate index (TWE) has the least variability compared with other variables. Further, the skewness and kurtosis statistic for the dollar index is very close to normality, which is further supported by the Jarque-Bera test statistic, suggesting that the null hypothesis of normality is not rejected for the exchange rate, while the null of normality is strongly rejected for the remaining variables.\footnote{VARs are generally quite robust to such non-normalities.}

4.1.3 Unit roots and cointegration

Table 4 presents results of unit root tests of the variables. We apply the DF-GLS test of Elliott, Rothenberg and Stock (1996) for our unit root test. When testing for I(1), we allow for a constant and deterministic time trend in the regression, except for the yield spread (TED) and exchange rate (twe). The DF-GLS test is based on applying the well-known Dickey-Fuller $\tau$-test to locally demeaned or demeaned and detrended series. It is generally more powerful than the standard Augmented Dickey-Fuller unit root test. Ng and Perron (2001) study the size and power properties of the DF-GLS test in finite samples. They recommended using a modified Akaike criterion (MAIC) for selecting the lag length. Results show that, save for oil production, the variables are non-stationary, as the null hypothesis of a unit root cannot be rejected at the conventional 5% level of significance.

We tested the null hypothesis of no cointegration. We applied three commonly used cointegration tests: the Engel-Granger (with MAIC), Phillips-Ouliaris and Johansen trace and maximum eigenvalue tests. We applied these tests to all possible pairs, triplets,
quadruplets and quintuplets of variables and also to the six variables together. We found rather mixed evidence (not reported) depending on the test used, whether or not a linear time trend is considered, and on the lag selection method used. The VAR with all six variables shows two cointegrating vector with the trace test, however, only one with the maximum eigenvalue test, at the usual 5% significance level. Our conflicting evidence here is consistent with the findings of Gregory, Haug and Lomuto (2004) for Monte Carlo simulations and for a comparison of alternative cointegration tests applied to 132 data sets from 34 studies.

The finding of unit roots in variables raises the question whether to estimate the structural VAR in levels (i.e., with variables in non-stationary form), first-differenced (i.e., with variables in stationary form) or in a VAR that imposes cointegration (i.e., in an error-correction model). A considerable literature on this issue tends to suggest that even if the variables have unit roots, it is still desirable to estimate a structural VAR in level. Sims, Stock and Watson (1990) show that the estimated coefficients of a VAR are consistent and the asymptotic distribution of individual estimated parameters is standard (i.e., the asymptotic normal distribution applies) when variables have unit roots and there are some variables that form a cointegrating relationship.16 We do not impose possible unit roots and cointegration in our VAR. We justify the specification in levels based on the Monte Carlo results of Lin and Tsay (1996). The problem is that cointegration tests often indicate too many, or occasionally too few, cointegrating vectors and therefore lead to misspecification. On the other hand, a VAR specified in first differences assumes that variables are not cointegrated because no error-correction terms are included. If there is cointegration, then such a model in first differences is misspecified. The impulse response functions of the VAR model in levels are also consistent estimators of their true impulse response functions both in the short- and medium-run, except in the longer-run. As shown by Phillips (1998), in the longer-run the standard impulse responses do not converge to their true values with a probability of one when unit roots or near-unit roots are present and the lead time of the impulse response function is a fixed fraction of the sample size. For this reason, we apply an alternative method for estimating the impulse

16 See also Hamilton (1994, pp. 561-562) for a related discussion.
responses based on local linear projections suggested by Jordà (2005) that is robust to this problem.

4.2 The main SVAR model

The VAR consists of the six variables as defined previously: oilprodt, reat, emrt, TEDt, twet and oilrt. The VAR lag length \( p \) is set at 9. With this lag length, the residuals are randomly distributed and the VAR has stable roots. The identification system is given by (4).

Figure 2 displays the response of global oil production, real economic activity, equity prices, interest rates, exchange rates and oil prices to a one-standard deviation structural innovation. The two-standard-error confidence intervals are shown by short-dashed lines. Our discussion of the impulse response functions (IRFs) mainly centers on the responses of oil supply, emerging equity prices, exchange rate, and oil prices to their own and other shocks, which is the main interest of the paper. Given oil production shocks and global demand shocks, as captured by global real economic activity shocks, are treated as contemporaneously exogenous to the other variables in the system, it is interesting to analyze how the two variables react to their own shock. As can be seen from Figure 2, a positive oil supply shock causes a statistically significant increase in global oil production that is sustained over the entire 24-month period considered in the graph.\(^{17}\) This possibly reflects the discovery of new oil fields, better extraction technologies or a decline in OPEC’s control over the oil supply. By comparison, a positive global demand shock stimulates real economic activity in the first few months after the impact and then slowly winds down in a persistent fashion. It becomes statistically insignificantly different from zero after about 15 months, reflecting typical short-run macroeconomic multiplier effects over the business cycle from aggregate demand stimulation.\(^{18}\) A positive oil supply

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\(^{17}\) Kilian (2009), among others, use the percentage change in oil production instead of the log levels. We tried this measure but found no significant changes in the IRF graphs. In principal, one should treat all variables the same so that a log-levels specification for oil production would seem preferable. Also, the two-standard-error confidence bands in our graphs are roughly equal to 95% confidence bands.

\(^{18}\) Unanticipated demand expansion also leads to a sustained increase in oil production and in oil prices because of the associated increase in real economic activity. However, these effects are somewhat
shocks has little effect on emerging market equity prices and the effect is not statistically significantly different from zero. On the other hand, an unanticipated demand expansion generates a small but persistently positive impact on equity prices. However, this effect is only statistically significant for the first 3 months. The reaction of equity prices to their own shock is corrected rather slowly. Following an unexpected increase, equity prices decline mostly linearly over the experiment period but reach a level that is insignificantly different from zero after about 10 months, although the effect becomes barely significant already after the first 6 months. This may indicate some inefficiencies in financial markets in emerging economies because one would expect shocks to dissipate more rapidly in well functioning markets. The effect of an unanticipated increase in the TED spread has a persistently negative, largely statistically significant (partly borderline), effect on the real emerging market equity index. This is to be expected since a rising TED spread is an indication of a potential market downturn as liquidity is withdrawn, which negatively affects capital flows. Positive exchange rate shocks (measured by the trade-weighted US index) serve to place downward pressure on emerging stock prices, however, the effect is mostly not statistically significant or a borderline case for the period from 15 to 24 months after the impact.\textsuperscript{19} We should mention that the effects are somewhat imprecisely measured as reflected in the rather wide confidence band in the first half of the 24-month horizon. A stronger dollar encourages investors to invest in US dollar denominated assets, thereby slowing down investment activity in emerging markets.\textsuperscript{20} Finally, although the emerging stock price index reacts negatively to an oil price shock, quite surprisingly the effect is very small and not significant.

The responses of the US dollar trade-weighted exchange rate index to various macroeconomic shocks support fairly conventional theoretical views of open economy borderline cases in regards to their significance because the lower confidence band weaves along the horizontal axis. The exception is the oil price increase that is significant over the first 5 months.\textsuperscript{19} A rising trade-weighted index indicates appreciation of the US dollar vis-à-vis trading partner currencies, and vice versa.\textsuperscript{20} Many emerging countries, to some extent, tied their national currencies to the US dollar. Thus, another way to interpret the effect of exchange rate shock on emerging market price is that, if a stronger dollar is a consequence of tighter monetary policy in the USA, monetary authorities in the emerging markets would like to implement similar monetary tightening to maintain the fixed relation between the US dollar and their national currencies. Hence, tighter domestic monetary conditions could drag equity prices downward in emerging markets.
macroeconomics. Global oil supply shocks appear to have no visible effect on the exchange rate, judging by the nearly horizontal impulse function and its statistical insignificance. On the contrary, an unanticipated global demand expansion produces a lasting downward impact on the US dollar (i.e. depreciation), though it shows borderline significance. This seems to suggest that the source of the global demand buoyancy is not US originated. Indeed, the collapse of the US dollar over the 2002-2008 period combined with the simultaneous expansion of many emerging economies (e.g. Brazil, China and India) appears to be consistent with this evidence. The response of the US dollar index to an emerging market equity price shock is very small and clearly insignificant. A positive TED spread shock slightly raises at first and then lowers the US dollar index over the first 10 months and then increases it afterwards. Whilst all these effects are not significantly different from zero, except for the first 2 months, the eventual appreciation of the US dollar is likely a reflection of investors’ deleveraging activity where a lasting rise in the TED spread leads investors to rush away from risky assets and favor dollar-denominated assets. The exchange rate initially slightly rises after the impact to its own shock and thereafter pretty much stays at the elevated level, indicating a permanent effect of the shock. The initial US dollar response to a positive oil price shock is negative, reflecting the numeraire effect as oil is priced in US dollar. However, these effects are small and only (barely) significant for the first 2-3 months. This result is consistent with Krugman’s (1983a) analysis that exchange rate movements are determined primarily by current account movements. In the case of a large net importer of oil like the United States, rising oil prices lead to a current account deterioration and then exchange rates will fall.

The reaction of the oil price to a positive oil production shock is negative for the first 4 months, as one would expect; effects thereafter are no longer statistically significant. A positive global demand shock increases the oil price further after the impact for about 3 months, thereafter it begins to fall and becomes insignificantly different from zero in 5 months after the impact. By contrast, the oil price displays a positive hump-shaped

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21 When the crisis intensified after the bankruptcy of Lehman Brothers, private foreign investors lowered the risk in their portfolios by turning to US Treasury securities. The global flight to safety into US Treasury bills during the recent financial crisis had in turn strengthened the US dollar (see, McCauley and McGuire, 2009). See also Melvin and Taylor (2009) for the implications of the deleveraging in financial markets on foreign exchange markets during the recent financial crisis.
response to a positive equity shock but the effect is mostly not significant, except for the 5-10 month period after the impact, where it is of borderline statistical significance. A positive TED spread shock leads to a fall in oil prices after the impact for the first 2-3 months, followed by a quick reversal—all occurring within the first 6-7 months—thereafter the effects fade into insignificance. Unanticipated exchange rate increases lower oil prices but the impact is not significant, except possibly after a 15 month delay. Finally, oil prices increase after an oil price shock for 2-3 months and then fall but eventually stay at a level higher than before the shock. These effects are though statistically significant only for the first 6 months after the impact.

The results from our six-variable SVAR can be compared to the results for the oil market in Kilian’s (2009) three-variable VAR with recursive identification. The data sets for the oil-market variables are not identical because we use updated data. The contemporaneous identification scheme for the three variables in our SVAR is almost identical, except that we set $a_{21}$ equal to zero so that aggregate demand does not respond contemporaneously to an oil price shock, however, we explore in Section 4.3.2 whether this restriction affects results. An oil supply shock (positive in our case) has very much the same effects on global oil production and on real oil prices as in Kilian (2009). It leads to a sharp increase in global oil production on impact, followed by a partial reversal within the first 8 month and then a slight increase that is sustained. However, an aggregate demand shock shows a somewhat different profile. It is persistent and highly significant as in Kilian (2009), but in our case the effect starts to decline already after 3-4 months instead of after 14 months in Kilian, and becomes insignificant after 15 months in our case. It also increase oil production persistently and oil prices, especially for the first 2-3 months after the impact, with a reversal thereafter before leveling off at a permanently higher level, being a borderline case with respect to significance after 5 months. In Kilian (2009) the increase is delayed by 6 months and is significant over the entire 20 months considered in his graph. A positive oil price shock, interpreted by Kilian (2009) as shock due to a precautionary oil demand shock, shows pretty much the same profile over time in both analyses.\footnote{Hamilton (2009) questions the interpretation of these price shocks as precautionary demand shocks.} The effects on real economic activity and oil
production are not significant in our case, whereas Kilian (2009) found a positive but small effect on real economic activity.

4.3 Robustness of the impulse responses

4.3.1 Different estimation method: Local projection based impulse responses
The preceding impulse response functions were derived with standard impulse response function analysis. The standard method is based on a moving average representation of the VAR model. The VAR is estimated first and then a vector moving-average (VMA) is formed in order to derive the effects of experimental shocks on the variables over time. The impulse responses are derived iteratively, moving forward period-by-period, relying on the same set of original VAR parameter estimates each time. There are several problems with the standard approach to impulse response analysis. These problems are magnified by the iterative process.

First, the true and generally unknown data-generating process of the economic model may be poorly approximated by a VAR, even with relatively long lag structures.23 The reason is that moving average components in the data may not be captured adequately by the VAR. Second, VMA representations of the VAR may not be unique and different invertibility assumptions can lead to vastly different impulse responses.24 Third, unit or near-unit roots and cointegration in the VAR can lead to inconsistent impulse responses at longer horizons when the lead time of the impulse response function is a fixed fraction of the sample size (Phillips, 1998; Pesavento and Rossi, 2006). These problems open various possibilities for misspecification of the VAR that might be relatively small. However, the highly non-linear transformations used in the derivation of standard impulse responses will amplify the effects of misspecifications and lead to unreliable impulse response functions.

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Jordà (2005) has proposed an alternative approach for deriving impulse response functions. Instead of non-linear transformations, local linear projections are applied in order to obtain impulse responses. An impulse response can be regarded as a revision in the forecast of a variable at a future horizon $t+s$ to a one-time experimental shock at time $t$. Jordà (2005) applies multi-step direct forecast for every horizon. The forecast or projection is local to the horizon, or put differently, a separate forecasting regression is run for every horizon. Jordà (2005) proves that impulse responses based on direct forecasts are consistent and asymptotically normal. Furthermore, he demonstrates in Monte Carlo simulations that local linear projections estimate impulse responses more accurately than standard methods, especially at medium to longer horizons. Also, the loss of efficiency from using local projection impulse responses (instead of a correctly specified VAR) appears to be very small. Local projection based impulse responses are more robust to misspecification than standard ones.

Jordà’s (2005) local projection based impulses use a recursive causal ordering for structural shocks, which cannot be compared with the non-recursive identification schemes discussed in the previous section. Recently, Haug and Smith (2007) have extended Jordà’s (2005) method to a non-recursive identification scheme, which is appropriate for our purpose. Briefly, Jordà’s (2005) method can be summarized as follows. Consider an $n$-dimensional vector $y_t$ of random variables. Following Jordà (2005), we define the impulse response (IR) at time $t+s$ arising from the $i$th experimental shocks $d_{it}$ at time $t$ as:

$$IR(t,s,d_{it}) = E(y_{t+s}|\delta_t = d_{it}; X_t) - E(y_{t+s}|\delta_t = \mathbf{0}; X_t),$$

where $i = 0,1,2,\ldots,n$; $s = 0,1,2,\ldots$; $X_t \equiv (y_{t-1}, y_{t-2}, \ldots)$; $d_i$ is a vector additively conformable to $y_t$; and $\mathbf{0}$ is a vector of zeroes. The expectations are formed by linearly projecting $y_{t+s}$ onto the space of $X_t$:

$$y_{t+s} = \alpha^s + B_1^{s+1}y_{t-1} + B_2^{s+1}y_{t-2} + \ldots + B_p^{s+1}y_{t-p} + e_{t+s}^s,$$

where $\alpha^s$ is a vector of constants and the $B_j^{s+1}$ are coefficient matrices at lag $j$ and horizon $s+1$. For every horizon $s = 0,1,2,\ldots,h$, a projection or forecast regression is done in order to estimate the coefficients in $B_j^{s+1}$. The estimated IRF is then given by:

$$\hat{IR}(t,s,d_{it}) = \hat{B}_1^s d_{it}$$
with the normalization $B^0_1 = I$, the identity matrix. Thus, an innovation or impulse to the $i^{th}$ variable in the vector $y_t$, denote $d_{it}$, produces an impulse response of $\tilde{B}^s d_{it}$. The horizon of the forecast is $s$ and $E(y_{t+s} | \delta_t; X_t)$ shows the forecast after a shock in period $t$.

The impulse responses from local approximations can be calculated from univariate least squares regressions for each variable at every horizon. Jordà’s (2005) demonstrates that inference can be performed with standard heteroscedastic and autocorrelation (HAC) robust standard errors, such as Newey-West standard errors that we apply. These HAC standard errors correct for the moving average terms that exist in forecast errors.

Figure 3 shows projection based impulse responses for the SVAR system with two standard error confidence bands and Figure 4 reports results for one standard error confidence band, as is common in the literature (e.g., Kilian, 2009). With some exceptions, we can see that the projection based IRFs (indicated by dashed blue lines) generally follow a pattern remarkably similar to that of VMA-based IRFs (indicated by the solid black line). One notable difference is that the local-projection IRFs show a less pronounced cyclical response of the TED in response to a real economic activity shock and to its own shock in particular, compared to the standard IRFs. Most importantly, the response of equity prices to an oil price shock is statistically significant for projection based IRFs for the first 3 months in Figure 3 and for the first 4 months in Figure 4. Furthermore, a positive oil price shock now also leads to an immediate drop in the exchange rate that is statistically significant for the first 2-3 months after the impact in Figure 3 and the first 3-4 months in Figure 4. Aside from this, there are only small differences in the overall evolvement of the IRF graphs over time. Further, confidence bands have similar coverage, with a few initial responses becoming less significant. Overall, the IRFs show considerable robustness with respect to the two different estimation methods. This demonstrates the reliability of our model as specified.
4.3.2 Different identification schemes
We consider two modified identification schemes to our baseline model given in equation (4). We do not provide graphs in order to conserve space, but they are available on request from the authors. The first scheme does not restrict $a_{21}$ to be equal to zero. This is motivated by Kilian’s (2009) recursive (Choleski) scheme for his three-variable oil-market VAR that does not allow him setting $a_{21}$ to zero. It means that we allow for the possibility that global aggregate demand responds to an oil supply shock within the same month. In other words, oil supply shocks have immediate effects. This change has no noticeable effect on all our IRFs reported in Figure 2, consistent with our assumption in the baseline identification scheme that oil supply (production of crude oil) shocks stimulate or depress aggregate demand with a delay.

The second identification scheme restricts $a_{56}$ to equal zero, i.e. the exchange rate does not respond contemporaneously to an oil price shock. We expect this to be an unrealistic assumption because foreign exchange markets are efficient markets. Unless oil price shocks are perceived in this market as irrelevant, we expect to see changes in the IRFs. Indeed, this change affects four IRF graphs in a significant way. A positive exchange rate shock has now a long lasting and significant effect on the emerging stock market for about a year, even though the exchange rate itself is not reacting in any significant way to its own shock. Similarly, an emerging stock market shock has no significant effects on the stock market but seems to affect negatively the exchange rate in a significant and permanent way. Therefore, our baseline identification scheme that does not restrict $a_{56}$ to equal zero seems more reasonable.

5. Conclusions

Recognizing the importance of the relationship between stock prices and oil prices and the relationship between oil prices and exchange rates, this paper combines these two streams of literature together into one empirical structural vector autoregression model. In

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25 We tried other identification schemes for the contemporaneous relations but either could not estimate the matrix $A^{-1}$ because of non-convergence or the IRF results did not make economic sense.
doing so, it is possible to gain a more complete understanding of the relationship between oil prices, emerging market stock prices and exchange rates. This is important to do so because emerging economies have, over the past ten year, been accounting for a larger proportion of global GDP and this trend is expected to continue. Emerging economies are among the fastest growing economies (with GDP growth rates much faster than the growth rates observed in developed economies) and this combination of size and growth is likely to influence the dynamics between oil prices, emerging market stock prices and exchange rates.

The short term dynamics between oil prices, emerging market stock prices and exchange rates are analyzed using two sets of impulse response functions (standard, local projection based). In most cases the projection based IRFs provide similar results as the standard IRFs. Where the two approaches differ, the projection based approach tends to provide impulse responses that are more likely to adequately capture the cyclical response of a variable to an unexpected structural shock. Both approaches for example report that stock prices respond negatively to a positive oil price shock, and that oil prices respond positively to a positive emerging market shock. However, the first effect is only statistically significant for the projection based impulses for the first 3-4 months after the impact. The second effect is barely statistically significant in the period 5-10 months after the impact for standard impulses and is statistically significant in that period for projection based responses with one standard error confidence bands. These results indicate that while increases in oil prices depress stock prices (a result widely supported by the literature documenting the effects of oil prices on stock markets) it is also the case that increases in emerging market stock markets lead to an increase in oil prices. This latter result makes sense within the context of global oil markets and global economic activity. Oil consumption in most developed economies is flat or in decline and as a result emerging market economic growth (as proxied by emerging market stock prices) is likely to be an important source of demand side pricing pressure in the oil market.

The results in this paper support to some extent that oil prices respond to movements in exchange rates. Further, the results reported in this paper offer some support for higher
oil prices affecting exchange rates in the short run. In particular, a positive oil price shock leads to an immediate drop in the trade-weighted exchange rate. This result has a statistically significant impact for about 3 months.

The results in this paper show that oil prices respond negatively to an unexpected increase in oil supply and oil prices respond positively to an unexpected increase in demand. These results are consistent with the predictions from a demand and supply model for the oil market. Oil prices respond positively to a positive shock to emerging stock markets, while oil prices respond negatively to a positive shock to the TED spread. These results are important in establishing, that in addition to global supply and demand conditions for oil, oil prices also respond to emerging market equity markets and global financial capital markets.

The results in this paper have a number of policy implications. As expected, oil prices respond to global oil production (supply) and real global economic activity (demand). Rapidly rising stock prices in emerging economies or an increased demand for global credit are two factors which can also put pressure on oil prices to rise. While it has typically been the case that macroeconomic policy in developed economies, like the G7, was seen as an important factor affecting the global economy, it now must be recognized that monetary and fiscal policy in large emerging economies (like China and India) can affect their own economic growth prospects as well as global financial markets. As the results in this paper have shown, oil prices respond not just to economic fundamentals like oil supply and real economic activity but also to movements in emerging stock prices and the TED spread. Stock markets are often seen as leading economic indicators. Rapidly rising stock prices in emerging markets signals the expectation of higher economic growth ahead. If emerging market stock prices get trapped in a bubble, however, oil prices will overshoot in relation to economic fundamentals. This means that consumers in developed economies could end up paying more for oil and oil related products even if their own domestic economic growth remains sluggish and future realized economic growth in emerging economies is less than what the financial markets expected.
References


Table 1. The top 10 countries with the largest increase in oil consumption.

<table>
<thead>
<tr>
<th>Oil Consumption ('000 barrels per day)</th>
<th>2005</th>
<th>2006</th>
<th>Growth past 5 years</th>
<th>Growth past 10 years</th>
<th>Change 2006 over 2005</th>
<th>2006 share of total</th>
</tr>
</thead>
<tbody>
<tr>
<td>Qatar</td>
<td>98</td>
<td>110</td>
<td>105%</td>
<td>189%</td>
<td>15.0%</td>
<td>0.1%</td>
</tr>
<tr>
<td>China</td>
<td>6984</td>
<td>7445</td>
<td>53%</td>
<td>101%</td>
<td>6.7%</td>
<td>9.0%</td>
</tr>
<tr>
<td>Turkmenistan</td>
<td>110</td>
<td>117</td>
<td>42%</td>
<td>82%</td>
<td>6.3%</td>
<td>0.1%</td>
</tr>
<tr>
<td>United Arab Emirates</td>
<td>376</td>
<td>408</td>
<td>40%</td>
<td>18%</td>
<td>7.8%</td>
<td>0.5%</td>
</tr>
<tr>
<td>Ecuador</td>
<td>168</td>
<td>180</td>
<td>36%</td>
<td>44%</td>
<td>7.3%</td>
<td>0.2%</td>
</tr>
<tr>
<td>Kuwait</td>
<td>302</td>
<td>275</td>
<td>33%</td>
<td>119%</td>
<td>-10.4%</td>
<td>0.4%</td>
</tr>
<tr>
<td>Thailand</td>
<td>918</td>
<td>926</td>
<td>32%</td>
<td>19%</td>
<td>0.7%</td>
<td>1.1%</td>
</tr>
<tr>
<td>Algeria</td>
<td>251</td>
<td>260</td>
<td>30%</td>
<td>39%</td>
<td>4.3%</td>
<td>0.3%</td>
</tr>
<tr>
<td>Saudi Arabia</td>
<td>1891</td>
<td>2005</td>
<td>29%</td>
<td>50%</td>
<td>6.2%</td>
<td>2.4%</td>
</tr>
<tr>
<td>Bulgaria</td>
<td>108</td>
<td>110</td>
<td>26%</td>
<td>-5%</td>
<td>1.4%</td>
<td>0.1%</td>
</tr>
</tbody>
</table>

USA (ranked 44)  
| USA (ranked 44) | 20802 | 20589 | 5% | 12% | -1.3% | 24.1% |

Source: BP 2007

Table 2. Oil consumption growth by region.

<table>
<thead>
<tr>
<th>Oil Consumption ('000 barrels per day)</th>
<th>2005</th>
<th>2006</th>
<th>Growth past 5 years</th>
<th>Growth past 10 years</th>
<th>Change 2006 over 2005</th>
<th>2006 share of total</th>
</tr>
</thead>
<tbody>
<tr>
<td>Total Middle East</td>
<td>5712</td>
<td>5923</td>
<td>22%</td>
<td>36%</td>
<td>3.5%</td>
<td>7.2%</td>
</tr>
<tr>
<td>Total Asia Pacific</td>
<td>24294</td>
<td>24589</td>
<td>16%</td>
<td>30%</td>
<td>1.3%</td>
<td>29.5%</td>
</tr>
<tr>
<td>Total Africa</td>
<td>2731</td>
<td>2790</td>
<td>13%</td>
<td>25%</td>
<td>2.0%</td>
<td>3.4%</td>
</tr>
<tr>
<td>Total North America</td>
<td>25023</td>
<td>24783</td>
<td>5%</td>
<td>14%</td>
<td>-1.3%</td>
<td>28.9%</td>
</tr>
<tr>
<td>Total South &amp; Central America</td>
<td>5006</td>
<td>5152</td>
<td>5%</td>
<td>13%</td>
<td>2.9%</td>
<td>6.1%</td>
</tr>
<tr>
<td>Total Europe &amp; Eurasia</td>
<td>20314</td>
<td>20482</td>
<td>4%</td>
<td>5%</td>
<td>1.1%</td>
<td>24.9%</td>
</tr>
<tr>
<td>TOTAL WORLD</td>
<td>83080</td>
<td>83719</td>
<td>9%</td>
<td>17%</td>
<td>0.7%</td>
<td>100.0%</td>
</tr>
</tbody>
</table>

Source: BP 2007

Table 3. Summary statistics: January 1988 to December 2008

<table>
<thead>
<tr>
<th></th>
<th>Δoilprod</th>
<th>rea</th>
<th>EM</th>
<th>TED</th>
<th>TWE</th>
<th>OIL</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean</td>
<td>0.096</td>
<td>-0.001</td>
<td>633.043</td>
<td>0.448</td>
<td>90.493</td>
<td>32.473</td>
</tr>
<tr>
<td>Median</td>
<td>0.134</td>
<td>-0.039</td>
<td>538.432</td>
<td>0.300</td>
<td>89.615</td>
<td>22.034</td>
</tr>
<tr>
<td>Maximum</td>
<td>4.473</td>
<td>0.568</td>
<td>2213.413</td>
<td>4.620</td>
<td>111.990</td>
<td>133.930</td>
</tr>
<tr>
<td>Minimum</td>
<td>-5.863</td>
<td>-0.487</td>
<td>109.838</td>
<td>0.030</td>
<td>70.320</td>
<td>11.280</td>
</tr>
<tr>
<td>Coefficient of variation</td>
<td>10.910</td>
<td>-126.701</td>
<td>0.690</td>
<td>1.117</td>
<td>0.096</td>
<td>0.714</td>
</tr>
<tr>
<td>Skewness</td>
<td>-0.775</td>
<td>0.607</td>
<td>1.680</td>
<td>3.911</td>
<td>0.239</td>
<td>2.115</td>
</tr>
<tr>
<td>Kurtosis</td>
<td>8.976</td>
<td>2.823</td>
<td>5.489</td>
<td>25.886</td>
<td>2.977</td>
<td>7.514</td>
</tr>
<tr>
<td>Jarque-Bera</td>
<td>400.257</td>
<td>15.825</td>
<td>183.770</td>
<td>6142.212</td>
<td>2.411</td>
<td>401.938</td>
</tr>
<tr>
<td>Probability</td>
<td>0.000</td>
<td>0.000</td>
<td>0.000</td>
<td>0.000</td>
<td>0.299</td>
<td>0.000</td>
</tr>
</tbody>
</table>

Observations: 252 252 252 252 252 252

Note: Δoilprod (percentage change in global oil production); rea (log of global real economic activity); EM (emerging market equity price index); TED (spread between a 3-month Eurodollar T-bill and a 3-month US T-bill); TWE (trade-weighted US dollar exchange rate index); and OIL (oil prices).
Table 4. DF-GLS unit root tests

<table>
<thead>
<tr>
<th>Variables</th>
<th>DF-GLS statistic</th>
</tr>
</thead>
<tbody>
<tr>
<td>Log of oil production (oilprod)</td>
<td>-3.71*** (trend)</td>
</tr>
<tr>
<td>Log of global real economic activity (rea)</td>
<td>-2.62 (trend)</td>
</tr>
<tr>
<td>Log of real emerging equity prices (emr)</td>
<td>-1.45 (trend)</td>
</tr>
<tr>
<td>TED spread (TED)</td>
<td>-0.78</td>
</tr>
<tr>
<td>Log of US dollar index (twe)</td>
<td>-1.55</td>
</tr>
<tr>
<td>Log of real oil prices (oilr)</td>
<td>-2.57 (trend)</td>
</tr>
</tbody>
</table>

Note: The lag length is chosen using the modified AIC criteria. The maximum number of lags allowed is 15. *** denotes statistical significant at the 1% level. A deterministic linear time trend is included where noted.
Figure 1. Global oil production, real economic activity, emerging market stock prices, the US treasury/Euro dollar spread, exchange rates, and oil prices.

Note: See Table 3 for an explanation of the abbreviations. OILPROD is oil production in barrels per day.
Figure 2. Structural VAR impulse responses.

Note: the logarithm of global oil production is denoted oilprod; rea is the logarithm of global real economic activity; emr is the logarithm of real emerging market stock prices; TED is the interest rate spread; twe is the logarithm of trade-weighted US dollar index and oilr is the logarithm of real oil prices.
Figure 3. Structural VAR local projection-based impulse responses with two standard error confidence bands.

Note: See “Note” to Figure 2 for an explanation of the abbreviations. Local projection-based IRFs are indicated by blue-dashed lines with red-dashed two standard error (approximately 95%) confidence bands. The solid black line denotes the impulse responses from standard IRFs from Figure 2, repeated here for ease of comparison.
Figure 4. Structural VAR local projection-based impulse responses with one standard error confidence bands

Note: See “Note” to Figure 3.